

**WHAT IS CLAIMED IS:**

1. A simplified de-correlation method in TD-SCDMA multi-user detection characterised in that is comprises:

a. Receive wireless symbols S;

5 b. Obtain a channel correlation matrix R, take one part from R and get a partial correlation matrix  $R_p$ ;

c. Do inversion operation to the partial correlation matrix  $R_p$ , then obtain matrix  $V^{(m)}$ ;

10 d. Recover original data symbols D from received symbols S by  $V^{(m)}$  that the location of original data symbols D corresponds to.

2. A simplified de-correlation method in TD-SCDMA multi-user detection of claim 1, characterised in that said partial correlation matrix  $R_p = \{r_{i,j}\}$ ,  $i, j = 1 \dots (2P+1)K$ , said partial correlation matrix  $R_p$  is submatrix of channel correlation matrix R on diagonal, said K is the user number in one time slot, wherein said P is the symbols number earlier than or latter than current symbols and have influence to current symbols.

3. A simplified de-correlation method in TD-SCDMA multi-user detection of claim 2, characterised in that said  $V^{(m)} = \{v_{i,j}^{(m)}\}$ , wherein

$$v_{i,j}^{(m)} = (R_p^{-1})_{i+(m-1)K,j}, \quad i = 1 \dots K, j = 1 \dots (2P+1)K, m = 1 \dots 2P+1$$

20 4. A simplified de-correlation method in TD-SCDMA multi-user detection of claim 1, characterised in that the location of original data symbols D have three situation:

1) when  $1 \leq n \leq P$ ,  $V^{(m)} = V^{(n)}$ ,  $D^{(n)}$  can be recovered as  $\hat{D}^{(n)} = V^{(n)} S_P^{(n)}$

2) when  $P+1 \leq n \leq N-P$ ,  $V^{(m)} = V^{(P+1)}$ ,  $D^{(n)}$  can be recovered as  $\hat{D}^{(n)} = V^{(P+1)} S_P^{(n)}$

3) when  $N+1-P \leq n \leq N$ ,  $V^{(m)} = V^{(2P+1+n-N)}$ ,  $D^{(n)}$  can be recovered as  $\hat{D}^{(n)} = V^{(2P+1+n-N)} S_P^{(n)}$ , said  $\hat{D}^{(n)}$  is the estimation of original symbol, said  $n$  is location of chip.

5. A simplified de-correlation method in TD-SCDMA multi-user detection of claim 1, characterised in that:

When  $P+1 \leq n \leq N-P$ , received wireless symbols  $S$  can be defined as

$$S_P^{(n)} = \left( \underbrace{\hat{s}_1^{(n-P)}, \hat{s}_2^{(n-P)}, \dots, \hat{s}_K^{(n-P)}}_{n-P^{\text{th}} \text{ symbols of all K users}}, \dots, \underbrace{\hat{s}_1^{(n)}, \hat{s}_2^{(n)}, \dots, \hat{s}_K^{(n)}}_{n^{\text{th}} \text{ symbols of all K users}}, \dots, \underbrace{\hat{s}_1^{(n+P)}, \hat{s}_2^{(n+P)}, \dots, \hat{s}_K^{(n+P)}}_{n+P^{\text{th}} \text{ symbols of all K users}} \right),$$

wherein, said  $\hat{s}_1^{(n-P)}, \hat{s}_2^{(n-P)}, \dots, \hat{s}_K^{(n-P)}$  is  $(n-P)^{\text{th}}$  symbols of all  $K$  users, said  $\hat{s}_1^{(n)}, \hat{s}_2^{(n)}, \dots, \hat{s}_K^{(n)}$  is  $(n)^{\text{th}}$  symbols of all  $K$  users, said  $\hat{s}_1^{(n+P)}, \hat{s}_2^{(n+P)}, \dots, \hat{s}_K^{(n+P)}$  is  $(n+P)^{\text{th}}$  symbols of all  $K$  users;

When  $1 \leq n \leq P$ , received wireless symbols  $S$  can be defined as

$$S_P^{(n)} = \left( \underbrace{\hat{s}_1^{(1)}, \hat{s}_2^{(1)}, \dots, \hat{s}_K^{(1)}}_{1^{\text{st}} \text{ symbols of all K users}}, \dots, \underbrace{\hat{s}_1^{(n)}, \hat{s}_2^{(n)}, \dots, \hat{s}_K^{(n)}}_{n^{\text{th}} \text{ symbols of all K users}}, \dots, \underbrace{\hat{s}_1^{(2P+1)}, \hat{s}_2^{(2P+1)}, \dots, \hat{s}_K^{(2P+1)}}_{2P+1^{\text{th}} \text{ symbols of all K users}} \right)$$

Here, said  $\hat{s}_1^{(1)}, \hat{s}_2^{(1)}, \dots, \hat{s}_K^{(1)}$  is  $1^{\text{th}}$  symbols of all  $K$  users, said  $\hat{s}_1^{(n)}, \hat{s}_2^{(n)}, \dots, \hat{s}_K^{(n)}$  is  $(n)^{\text{th}}$  symbols of all  $K$  users, said  $\hat{s}_1^{(2P+1)}, \hat{s}_2^{(2P+1)}, \dots, \hat{s}_K^{(2P+1)}$  is  $2P+1^{\text{th}}$  symbols of all  $K$  users;

When  $N+1-P \leq n \leq N$ , received wireless symbols  $S$  can be defined as

$$\mathbf{S}_p^{(n)} = \left( \underbrace{\hat{s}_1^{(N-2P)}, \hat{s}_2^{(N-2P)}, \dots, \hat{s}_K^{(N-2P)}}_{N-2P^{\text{th}} \text{ symbols of all K users}}, \dots, \underbrace{\hat{s}_1^{(n)}, \hat{s}_2^{(n)}, \dots, \hat{s}_K^{(n)}}_{n^{\text{th}} \text{ symbols of all K users}}, \dots, \underbrace{\hat{s}_1^{(N)}, \hat{s}_2^{(N)}, \dots, \hat{s}_K^{(N)}}_{N^{\text{th}} \text{ symbols of all K users}} \right)$$

wherein, said  $\hat{s}_1^{(N-2P)}, \hat{s}_2^{(N-2P)}, \dots, \hat{s}_K^{(N-2P)}$ , is  $N-2P^{\text{th}}$  symbols of all K users, said  $\hat{s}_1^{(n)}, \hat{s}_2^{(n)}, \dots, \hat{s}_K^{(n)}$ , is  $n^{\text{th}}$  symbols of all K users, and said  $\hat{s}_1^{(N)}, \hat{s}_2^{(N)}, \dots, \hat{s}_K^{(N)}$ , is  $N^{\text{th}}$  symbols of all K users.

5 6. A simplified de-correlation method in TD-SCDMA multi-user detection of claim 2, characterised in that said  $1 \leq K \leq 16$ .

7. A simplified de-correlation method in TD-SCDMA multi-user detection of claim 2, characterised in that said P is integer, said N is 22.

10 8. A simplified de-correlation method in TD-SCDMA multi-user detection of claim 7, characterised in that said P is 2.

9. A UE system in TD-SCDMA characterised in that is comprises:

a correspond calculate equipment to define the partial correlation matrix  $\mathbf{R}_p$ ;

a draw out and inversed matrix equipment to define new matrix  $\mathbf{V}^{(m)}$ ; and

15 a matrix-vector multiplication to multiply received wireless symbols S by said matrix  $\mathbf{V}^{(m)}$ ;

10. A UE system in TD-SCDMA of claim 9 characterised in that is also comprises K matching filters and K buffer storages which connected correspond to said matching filter one by one.